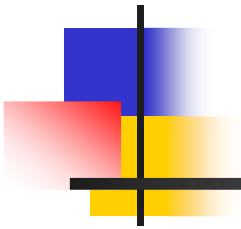
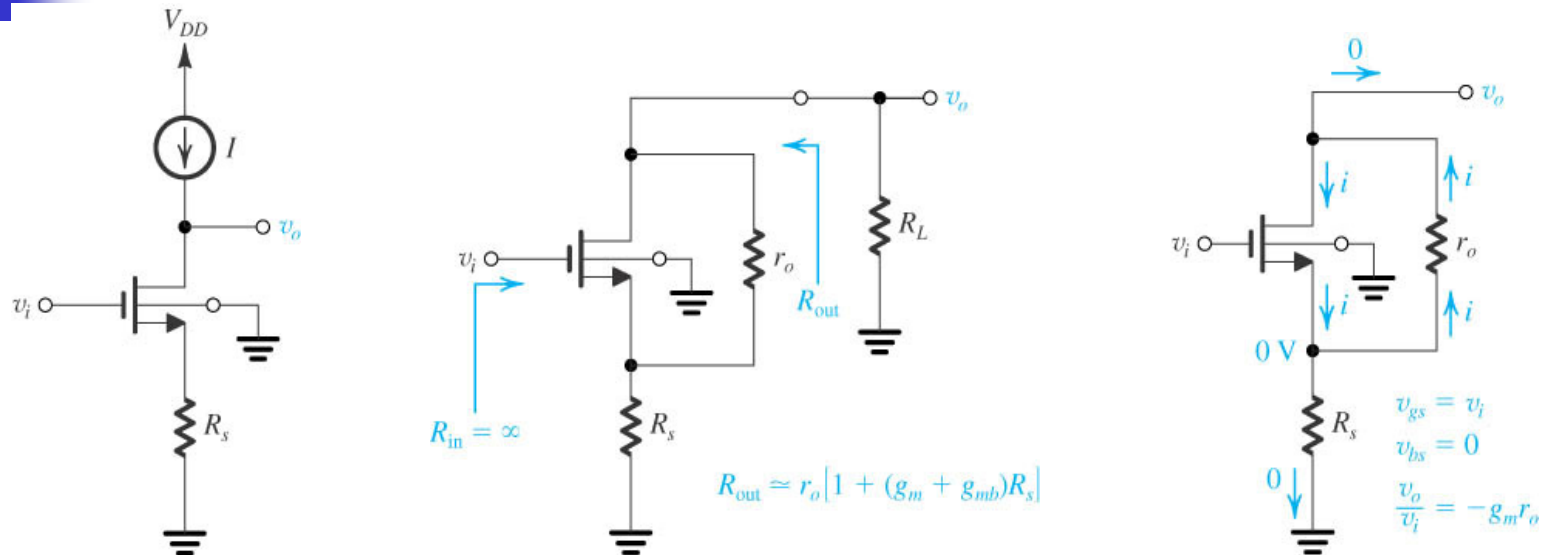


전자 회로 2

Lecture 3 (CS w. Degeneration Resistance, Source Follower)



CS with a Source Resistance (Chap. 6.9)



$$R_{out} = r_o + [1 + (g_m + g_{mb})r_o]R_s$$

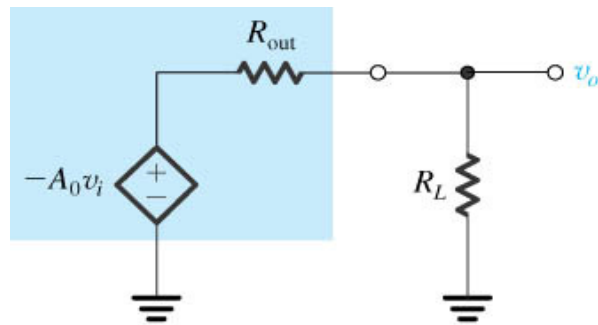
$$\approx r_o [1 + (g_m + g_{mb})R_s]$$

$$v_o = -i r_o = -g_m v_i r_o$$

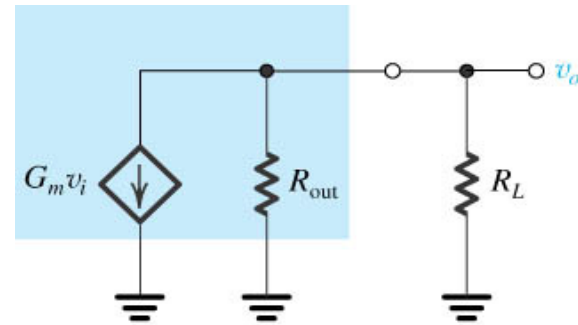
$$A_{vo} = -g_m r_o = -A_0$$

R_s has no effect on A_{vo}

(c)



(d)



(e)

$$G_m = \frac{g_m}{1 + (g_m + g_{mb})R_s}$$

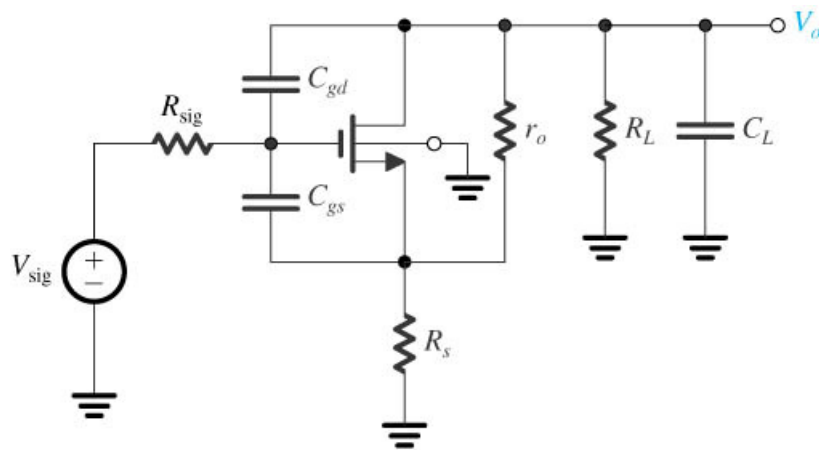
Output equivalent circuits

$$\begin{aligned} G_m &= -\frac{A_{vo}}{R_{out}} = \frac{A_0}{R_{out}} \\ &= \frac{g_m r_o}{r_o [1 + (g_m + g_{mb})R_s]} \\ &= \frac{g_m}{1 + (g_m + g_{mb})R_s} \end{aligned}$$

$R_s \rightarrow$

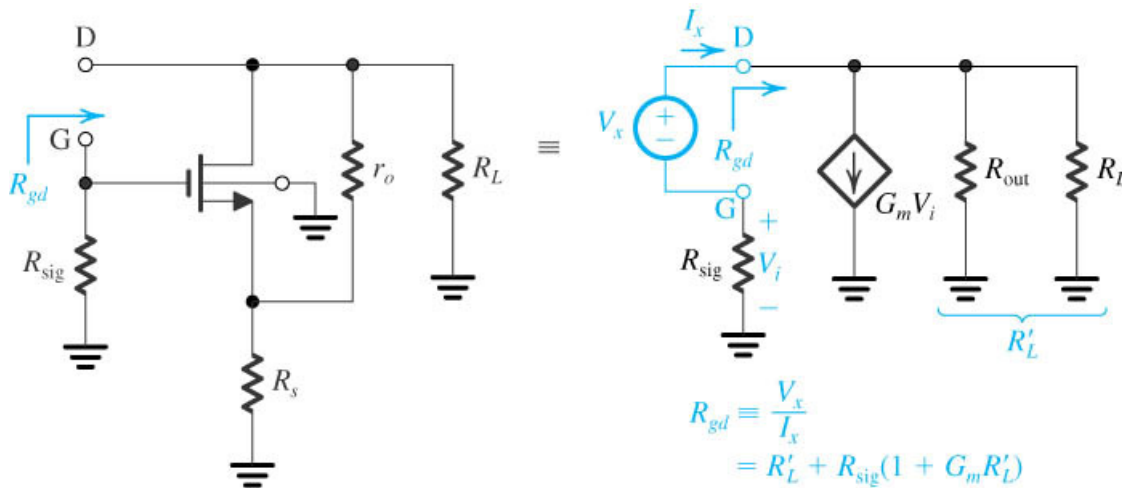
- Reduces transconductance
- Increases output resistance by $1 + (g_m + g_{mb})R_s$

Freq. Response of CS w. R_s



$$R_{C_L} = R_L \parallel R_{out}$$

$$R_{gs} \simeq \frac{R_{sig} + R_s}{1 + (g_m + g_{mb})R_s \left(\frac{r_o}{r_o + R_L} \right)}$$



$$I_x = G_m V_i + (V_i + V_x) / R'_L$$

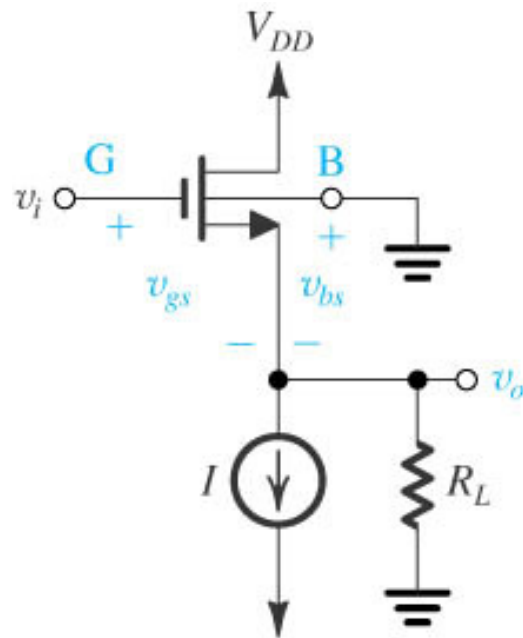
$$V_i = -I_x R_{sig}$$

$$R_{gd} = R_{sig} (1 + G_m R'_L) + R'_L$$

R_{gd} : Decrease
 → Increased Bandwidth

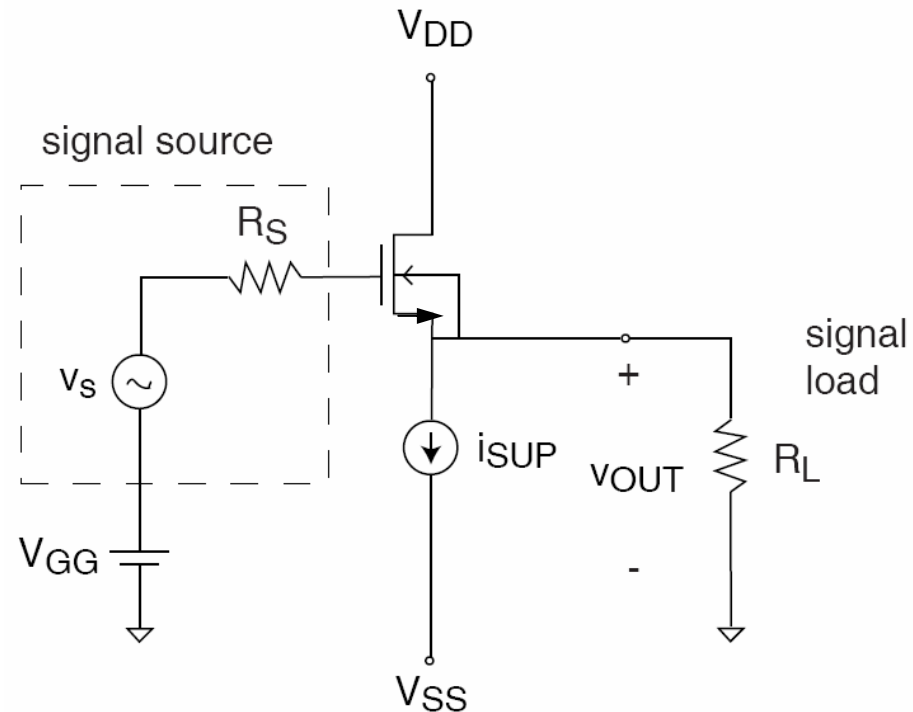
(b)

Source Follower (Common Drain Amp.)



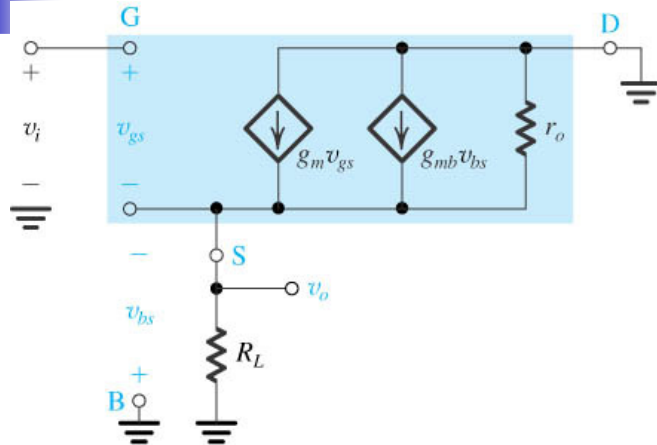
(a)

Body = Grounded
→ Body effect

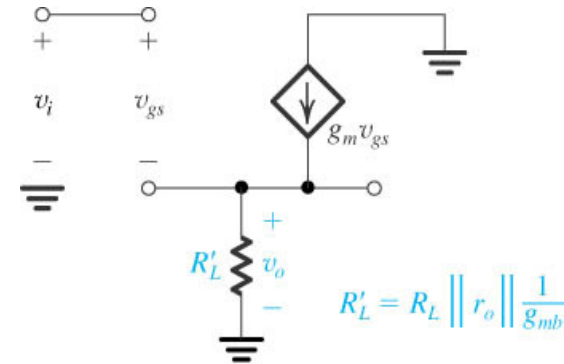


Body = Source
→ No body effect (simplified model)

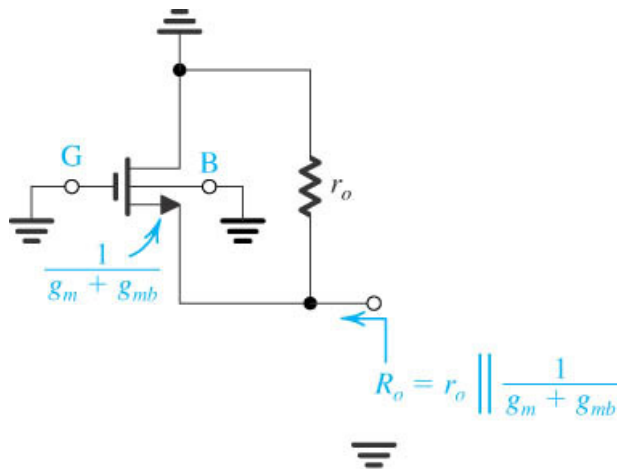
Source Follower (Chap. 6.10)



Small signal model w. BE



Small signal model w. BE
(body = ground)



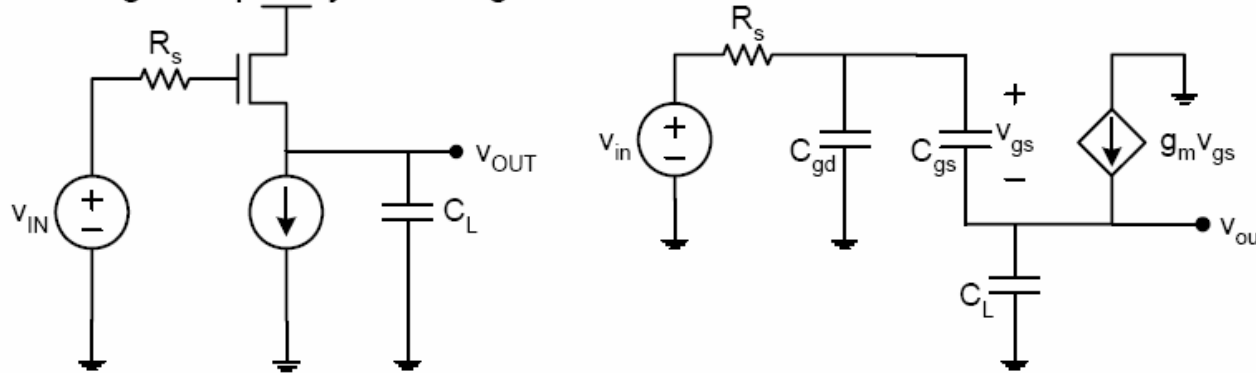
Output resistance

$$\begin{aligned}
 v_o &= g_m v_{gs} R'_L \\
 v_{gs} &= v_i - v_o \\
 A_v &\equiv \frac{v_o}{v_i} = \frac{g_m R'_L}{1 + g_m R'_L} \\
 A_{vo} &\equiv \left. \frac{v_o}{v_i} \right|_{R_L = \infty} \\
 &= \frac{g_m r_o}{1 + (g_m + g_{mb}) r_o} \\
 &\simeq \frac{g_m}{g_m + g_{mb}} = \frac{1}{1 + \chi}
 \end{aligned}$$

- voltage gain $\simeq 1$
- high input resistance
- low output resistance
- \Rightarrow good voltage buffer

Freq. Response of Source Follower

- Start with a high-frequency small-signal model of the source follower circuit



- Directly solving for v_{out}/v_{in} yields:

$$v_{gs}sC_{gs} + g_m v_{gs} = v_{out}sC_L$$

$$v_{gs} = \frac{sC_L}{g_m + sC_{gs}} v_{out}$$

$$v_{in} = R_s [v_{in}sC_{gs} + (v_{in} + v_{gs})sC_{gd}] + v_{gs} + v_{out}$$

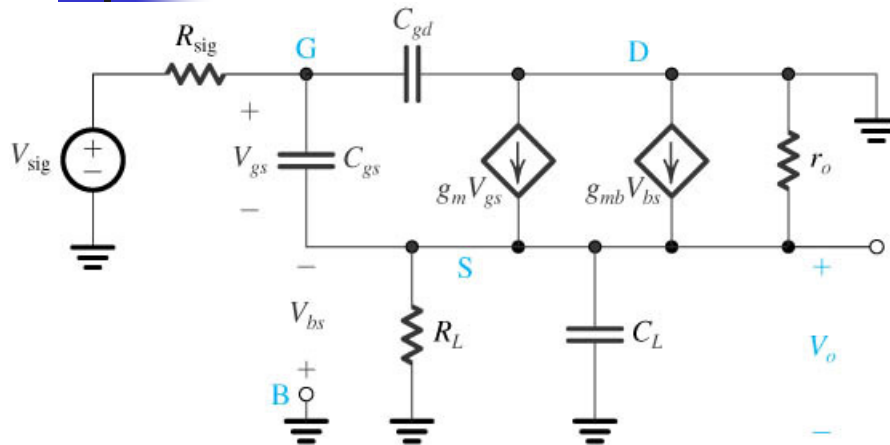
$$\frac{v_{out}}{v_{in}}(s) = \frac{g_m + sC_{gs}}{R_s(C_{gs}C_L + C_{gs}C_{gd} + C_{gd}C_L)s^2 + (g_m R_s C_{gd} + C_L + C_{gs})s + g_m}$$

$$\omega_{P1} \cong \frac{g_m}{g_m R_s C_{gd} + C_L + C_{gs}}$$

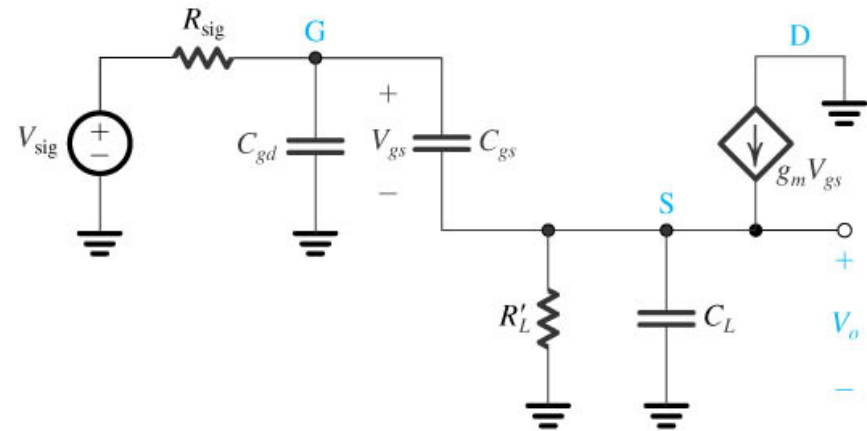
– The zero is due to C_{gs} that directly couples the signal from the input to the output

- If poles are far apart, then the s term represents the dominant pole

Freq. Resp. of Source Follower (OCT)



(a)



(b)

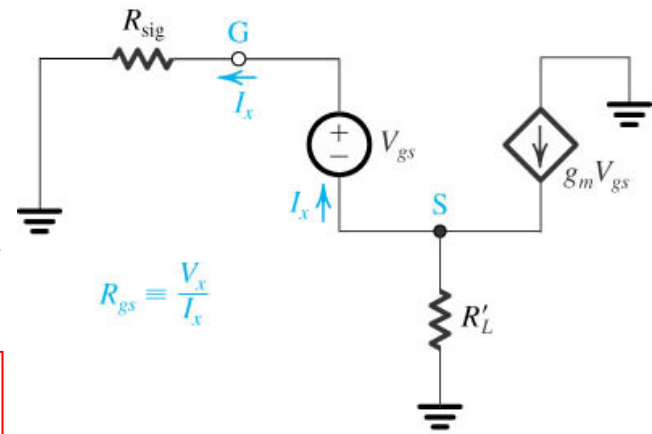
$$g_m V_{gs} + s C_{gs} V_{gs} = \frac{V_o}{R'_L \parallel C_L} = 0$$

$$\text{zero: } s_z = -\frac{g_m}{C_{gs}} \Rightarrow \omega_z = \frac{g_m}{C_{gs}}$$

$$R_{gd} = R_{sig}$$

$$R_{gs} = \frac{R_{sig} + R'_L}{1 + g_m R'_L}$$

$$R_{CL} = R_L \parallel R_o = R'_L \parallel \frac{1}{g_m}$$



(c)

$$f_H = \frac{1}{2\pi \tau_H} = \frac{1}{2\pi (C_{gd} R_{sig} + C_{gs} R_{gs} + C_L R_{CL})}$$

More on Source Follower

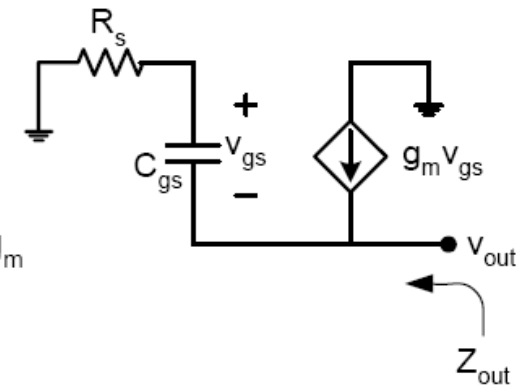
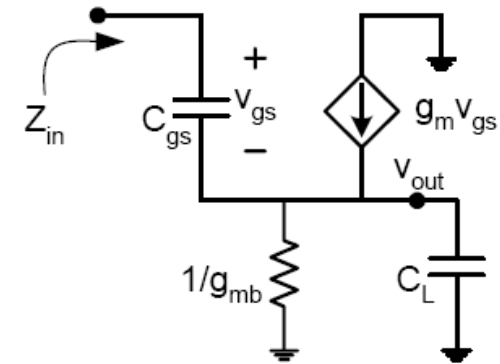
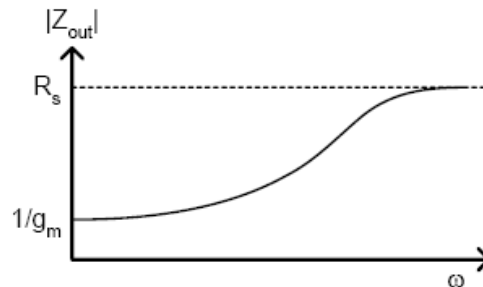
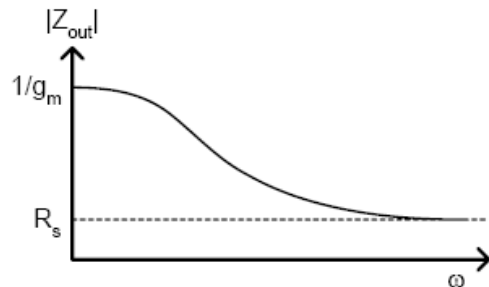
- Other important aspects of a source follower are its input and output impedances (since they are often used as buffers)
- Let's calculate the input impedance using the high-freq small-signal models

$$Z_{in} = \frac{1}{sC_{gs}} + \left(1 + \frac{g_m}{sC_{gs}}\right) \frac{1}{g_{mb} + sC_L}$$

- Now calculate the output impedance (ignoring g_{mb} for simplicity)

$$Z_{out} = \frac{R_s s C_{gs} + 1}{g_m + s C_{gs}}$$

- At low frequency, $Z_{out} \approx 1/g_m$
- At high frequency, $Z_{out} \approx R_s$
- Shape of the response depends on the relative size of R_s and $1/g_m$



Z_{out} can look inductive or capacitive depending on R_s and $1/g_m$